

Data Driven Optimisation of Spatial Dynamic Sampling Using FSCA

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Introduction

Metrology plays an essential role in meeting process performance targets in **semiconductor manufacturing**; however it is an expensive, time consuming and non-value added activity. Consequently, monitoring of silicon wafers is performed via spatial (**intra-wafer**) and temporal (**inter-wafer**) sampling (Fig. 1). **The challenge** is to devise a dynamic sampling plan that minimises the number of locations measured on each wafer while retaining the capacity to: (1) generate an accurate reconstruction of the wafer profile, and; (2) detect previously unseen process behaviour in a finite time horizon.

Dynamic spatial sampling

We adopt a **data driven** approach [1, 2]:

Training phase:

- Historical wafer metrology data is collected into a data matrix (\mathbf{X}) for a set of candidate measurement sites
- FSCA** [3] is used to determine the most representative subset among this candidate set in the sense of the total variance explained metric
- Remaining sites are then clustered around the selected FSCA sites based on temporal correlation (Fig.2)

Operation phase:

- For each new wafer, one sample from each **FSCA cluster** is used to define the measurement plan (a different one for each wafer)
- Using the historical data, \mathbf{X} , **VM models** are estimated to reconstruct unmeasured sites using the measured sites as regressors
- Unmeasured sites are estimated using the VM models
- A **3-D wafer profile** reconstruction is generated using the real and virtual measurements (Fig. 3)

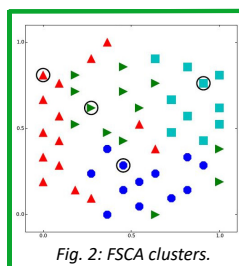
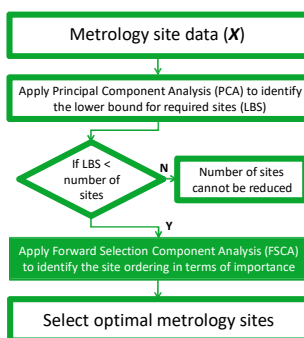


Fig. 2: FSCA clusters.

Unselected sites are clustered around the selected ones

New wafer

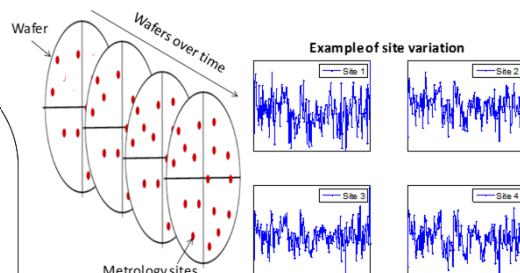
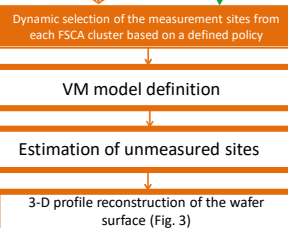


Fig. 1: Temporal and spatial sampling performed to monitor the wafer surface.

FSCA

FSCA is a **greedy algorithm** [3, 4] that estimates the subset of variables that best represents the information contained in a set of candidate variables \mathbf{X} using an iterative procedure consisting of **two steps**:

- (1) the variable with maximum contribution to the variation observed in \mathbf{X} is identified;
- (2) the contribution of the identified variable is removed from \mathbf{X} .

Case study

Monitoring of a PVD process where 50 sites were recorded historically.

- PCA shows that **5 PCs** can explain **99%** of the observed variance over the 50 sites
- FSCA shows that **7 FSCs** (i.e. **7 sites out of 50**) are sufficient to achieve 99% reconstruction accuracy (Fig. 4)

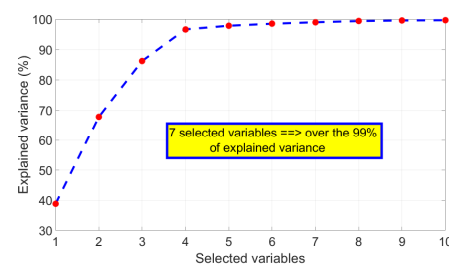


Fig. 4: Explained variance as function of the number of FSCs (selected variables).

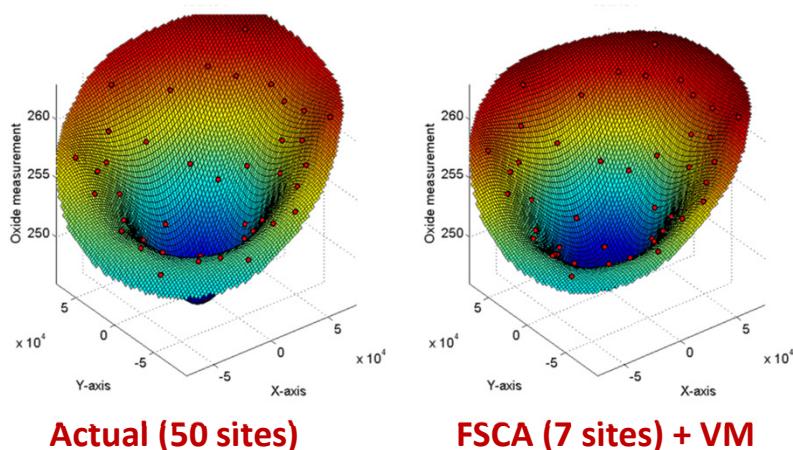


Fig. 3: Wafer profile reconstruction using the actual measurements (left) and the FSCA-based methodology (right).

References

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- [2] S. McLoone, F. Zocco, M. Maggipinto, G.A. Susto, On Optimising Spatial Sampling Plans for Wafer Profile Reconstruction, *3rd IFAC Conference on Embedded Systems, Computational Intelligence and Telematics in Control, CESCIT 2018*, Faro, Portugal, 6-8 June 2018.
- [3] L. Puggini, S. McLoone, Forward Selection Component Analysis: Algorithms and Applications, *IEEE Transactions on Pattern Analysis and Machine Intelligence*, Vol. 39(12), pp. 2395-2408, December 2017, (online Jan 2017, DOI: 10.1109/TPAMI.2017.2648792).
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